

## DAFTAR PUSTAKA

- Abad, P., Benito, S., & López, C. (2014). A comprehensive review of Value at Risk methodologies. *The Spanish Review of Financial Economics*, 12(1), 15–32. <https://doi.org/10.1016/j.srfe.2013.06.001>
- Anton, H., & Rorres, C. (2004). *Aljabar Linear Elementer* (Edisi 8). Erlangga.
- Ben Alaya, M. A., Zwiers, F. W., & Zhang, X. (2021). On estimating long period wind speed return levels from annual maxima. *Weather and Climate Extremes*, 34, 100388. <https://doi.org/10.1016/j.wace.2021.100388>
- Bennett, D. A. (2001). How can I deal with missing data in my study? *Australian and New Zealand Journal of Public Health*, 25(5), 464–469. <https://doi.org/10.1111/j.1467-842X.2001.tb00294.x>
- Bisono, I. (2012). Mengenal Data Ekstrim dan Distribusinya. *Jurnal Teknik Industri*, 13(2), 81–86. <https://doi.org/10.9744/jti.13.2.81-86>
- BMKG. (2017). *Daftar Istilah Klimatologi*. Balai Besar Meteorologi, Klimatologi, Dan Geofisika Wilayah III. [http://balai3.denpasar.bmkg.go.id/daftar-istilah-musim#:~:text=Curah%20Hujan%20\(mm\)%20adalah%20ketinggian,tidak%20meresap%20dan%20tidak%20mengalir.](http://balai3.denpasar.bmkg.go.id/daftar-istilah-musim#:~:text=Curah%20Hujan%20(mm)%20adalah%20ketinggian,tidak%20meresap%20dan%20tidak%20mengalir.)
- BMKG. (2022). *Probabilistik Curah Hujan 20 mm (tiap 24 jam)*. Informasi Cuaca. <https://www.bmkg.go.id/cuaca/probabilistik-curah-hujan.bmkg?mm=20&hour=24&gen=rpmpauayir8r42ddc>
- Bommier, E. (2014). *Peaks-Over-Threshold Modelling of Environmental Data* [Project Report]. Department of Mathematics Uppsala University.
- Boudrissa, N., Cheraitia, H., & Halimi, L. (2017). Modelling maximum daily yearly rainfall in northern Algeria using generalized extreme value distributions from 1936 to 2009: Modelling maximum rainfall in northern Algeria. *Meteorological Applications*, 24(1), 114–119. <https://doi.org/10.1002/met.1610>
- Caires, S. (2016). A Comparative Simulation Study of the Annual Maxima and the Peaks-Over-Threshold Methods. *Journal of Offshore Mechanics and Arctic Engineering*, 138(5). <https://doi.org/10.1115/1.4033563>
- Casella, G., & Berger, R. L. (2002). *Statistical Inference* (Second edition). Wadsworth Group.
- Coles, S. (2001). *An introduction to statistical modeling of extreme values*. Springer.
- Coles, S. G., & Dixon, M. J. (1999). *Likelihood-Based Inference for Extreme Value Models*. 2(1), 5–23.

- Davison, A. C., & Smith, R. L. (1990). Models for Exceedances Over High Thresholds. *Journal of the Royal Statistical Society: Series B (Methodological)*, 52(3), 393–425. <https://doi.org/10.1111/j.2517-6161.1990.tb01796.x>
- Fadholi, A. (2020). Trend Curah Hujan Ekstrem Harian Berdasarkan Data PERSIANN-CCS di Kepulauan Bangka Belitung. *Jurnal Ilmu dan Inovasi Fisika*, 4(1), 12–22. <https://doi.org/10.24198/jiif.v4i1.24731>
- Fawcett, L., & Walshaw, D. (2007). Improved estimation for temporally clustered extremes. *Environmetrics*, 18(2), 173–188. <https://doi.org/10.1002/env.810>
- Fisher, R. A., & Tippett, L. H. C. (1928). Limiting forms of the frequency distribution of the largest or smallest member of a sample. *Mathematical Proceedings of the Cambridge Philosophical Society*, 24(2), 180–190. <https://doi.org/10.1017/S0305004100015681>
- Gilli, M., Maringer, D., & Schumann, E. (2019). Chapter 11-Basic Methods. In *Numerical Methods and Optimization in Finance* (2nd edition, pp. 229–271). Elsevier Inc. <https://doi.org/10.1016/B978-0-12-815065-8.00023-6>
- Gnedenko, B. (1943). Sur La Distribution Limite Du Terme Maximum D'Une Serie Aleatoire. *The Annals of Mathematics*, 44(3), 423. <https://doi.org/10.2307/1968974>
- Hartono, I. F., & Sutikno. (2020). Analisis Curah Hujan Ekstrem pada Kasus Elevasi Tinggi Air Muka Bendungan Bilibili Sulawesi Selatan dengan Pendekatan Peaks Over Threshold. *JURNAL SAINS DAN SENI ITS*, 9(2), 193–199.
- Hasan, H., Salam, N., & Adam, M. B. (2013). *Modelling Extreme Temperature in Malaysia Using Generalized Extreme Value Distribution*. 7(6), 7.
- Hermawan, E. (2015). *Indeks Monsun Asia-Australia dan Aplikasinya*. LIPI Press.
- Horn, R. A., & Johnson, C. R. (2012). *Matrix analysis* (2nd ed). Cambridge University Press.
- Hosking, J. R. M., & Wallis, J. R. (1987). Parameter and Quantile Estimation for the Generalized Pareto Distribution. *Technometrics*, 29(3), 339–349. <https://doi.org/10.1080/00401706.1987.10488243>
- Iliopoulou, T., Koutsoyiannis, D., & Montanari, A. (2018). Characterizing and Modeling Seasonality in Extreme Rainfall. *Water Resources Research*, 54(9), 6242–6258. <https://doi.org/10.1029/2018WR023360>
- Indarto, Susanto, B., & Diniarti, E. M. (2011). *Analisis Kecenderungan Data Hujan di Jawa Timur Menggunakan Metode Mann-Kendal & Rank-Sum Test*. 25(1), 19–28.
- Jenkinson, A. F. (1955). The frequency distribution of the annual maximum (or minimum) values of meteorological elements. *Quarterly Journal of the*

*Royal Meteorological Society*, 81(348), 158–171.  
<https://doi.org/10.1002/qj.49708134804>

- Kahal Musakkal, N. F., Chin, S. N., Ghazali, K., & Gabda, D. (2017). A penalized likelihood approach to model the annual maximum flow with small sample sizes. *Malaysian Journal of Fundamental and Applied Sciences*, 13(4), 563–566. <https://doi.org/10.11113/mjfas.v0n0.620>
- Kotz, S., & Nadarajah, S. (2000). *Extreme value distributions: Theory and applications*. Imperial College Press ; Distributed by World Scientific.
- Leon, S. J. (2001). *Aljabar linear dan aplikasinya* (Ed. Ke-5). Erlangga.
- Loo, Y. Y., Billa, L., & Singh, A. (2015). Effect of climate change on seasonal monsoon in Asia and its impact on the variability of monsoon rainfall in Southeast Asia. *Geoscience Frontiers*, 6(6), 817–823. <https://doi.org/10.1016/j.gsf.2014.02.009>
- Martins, A. L. A., Liska, G. R., Beijo, L. A., Menezes, F. S. de, & Cirillo, M. Â. (2020). Generalized Pareto distribution applied to the analysis of maximum rainfall events in Uruguaiana, RS, Brazil. *SN Applied Sciences*, 2(9), 1479. <https://doi.org/10.1007/s42452-020-03199-8>
- Maulidani, S., Ihsan, N., & Sulistiawaty. (2015). ANALISIS POLA DAN INTENSITAS CURAH HUJAN BERDASAKAN DATA OBSERVASI DAN SATELIT TROPICAL RAINFALL MEASURING MISSIONS (TRMM) 3B42 V7 DI MAKASSAR. *Jurnal Sains Dan Pendidikan Fisika*, 11(1), 98–103. <https://doi.org/10.35580/jspf.v11i1.1472>
- Musara, K., Nadarajah, S., & Wiegand, M. (2022). Statistical modeling of annual highest monthly rainfall in Zimbabwe. *Scientific Reports*, 12(1), 7698. <https://doi.org/10.1038/s41598-022-11839-9>
- Musliadi, Chaerul, M., & Gusty, S. (2021). Study on Flood Simulation of Tallo Watershed, Makassar City, South Sulawesi Province. *Journal of Physics: Conference Series*, 1899(1), 012063. <https://doi.org/10.1088/1742-6596/1899/1/012063>
- Pickands, J. (1975). Statistical Inference Using Extreme Order Statistic. *The Annals of Statistics*, 3(1), 119–131. <https://doi.org/10.1214/aos/1176343003>
- Rahayu, A. (2013). Identification of Climate Change with Generalized Extreme Value (GEV) Distribution Approach. *Journal of Physics: Conference Series*, 423, 012026. <https://doi.org/10.1088/1742-6596/423/1/012026>
- Rahman, A. S., Rahman, A., Zaman, M. A., Haddad, K., Ahsan, A., & Imteaz, M. (2013). A study on selection of probability distributions for at-site flood frequency analysis in Australia. *Natural Hazards*, 69(3), 1803–1813. <https://doi.org/10.1007/s11069-013-0775-y>

- Salleh, N. H. M., & Hasan, H. (2018). GENERALIZED PARETO DISTRIBUTION FOR EXTREME TEMPERATURES IN PENINSULAR MALAYSIA. *Sci.Int.(Lahore)*, 30(1), 63–67.
- Shaharudin, S. M., Ahmad, N., Mohamed, N. S., & Mahdin, H. (2020). Fitting statistical distribution of extreme rainfall data for the purpose of simulation. *Indonesian Journal of Electrical Engineering and Computer Science*, 18(3), 1367. <https://doi.org/10.11591/ijeecs.v18.i3.pp1367-1374>
- Siregar, S. (2015). *Statistika Terapan untuk Perguruan Tinggi*. Prenada Media Grup.
- Sunusi, N., Herdiani, E. T., & Nirwan. (2017). Modeling of Extreme Rainfall Recurrence Time by Using Point Process Models. *Journal of Environmental Science and Technology*, 10(6), 320–324. <https://doi.org/10.3923/jest.2017.320.324>
- Supari, Sudibyakto, Ettema, J., & Aldrian, E. (2012). Spatiotemporal Characteristics of Extreme Rainfall Events Over Java Island, Indonesia. *The Indonesian Journal of Geography*, 44(1), 62–68. <http://dx.doi.org/10.22146/indo.j.geog,2391>
- Susan, M. (2015). Modelling Oil Price Risk. *American Journal of Theoretical and Applied Statistics*, 4(6), 539. <https://doi.org/10.11648/j.ajtas.20150406.25>
- Teixeira, R., Nogal, M., & O'Connor, A. (2018). On the suitability of the generalized Pareto to model extreme waves. *Journal of Hydraulic Research*, 56(6), 755–770. <https://doi.org/10.1080/00221686.2017.1402829>
- Tiro, M. A., Sukarna, & Aswi. (2008). *Pengantar Teori Peluang*. Andira Publisher.
- Trenberth, K. (2011). Changes in precipitation with climate change. *Climate Research*, 47(1), 123–138. <https://doi.org/10.3354/cr00953>
- Tukidin. (2010). Karakter Curah Hujan di Indonesia. *Jurnal Geografi Universitas Negeri Semarang*, 7(2), 136–145. <https://doi.org/10.15294/jg.v7i2.84>
- Varberg, D., Purcell, E. J., & Rigdon, S. E. (2007). *Calculus* (9th edition). Pearson Prentice Hall.
- Zalina, M. D., Desa, M. N. M., Nguyen, V.-T.-A., & Kassim, A. H. M. (2002). Selecting a probability distribution for extreme rainfall series in Malaysia. *Water Science and Technology*, 45(2), 63–68. <https://doi.org/10.2166/wst.2002.0028>

# LAMPIRAN

Lampiran 1. Kejadian curah hujan ekstrem periode 1980 – 2022 di kota Makassar berdasarkan metode BM

<b>Blok</b>	<b>Tahun</b>	<b>Bulan</b>	<b>Tanggal</b>	<b>Curah hujan</b>
1	1980	Januari	18	163
2	1981	Februari	7	87
3	1982	Februari	6	95
4	1983	Desember	29	151
5	1984	Maret	8	209
6	1985	Maret	5	125
7	1986	Januari	12	178
8	1987	Desember	22	175
9	1988	Februari	11	235
10	1989	Januari	28	124
11	1990	Desember	24	158
12	1991	Januari	27	110
13	1992	Januari	11	135
14	1993	Desember	24	160
15	1994	Maret	12	90
16	1995	Februari	28	385
17	1996	Desember	21	153
18	1997	Februari	18	109
19	1998	Juli	23	106
20	1999	Februari	4	222
21	2000	Februari	25	197
22	2001	Januari	10	270
23	2002	Januari	3	148
24	2003	Desember	25	128
25	2004	Maret	5	139
26	2005	Desember	20	208
27	2006	Maret	29	139
28	2007	Desember	18	129
29	2008	Februari	3	157
30	2009	Februari	1	128
31	2010	September	18	106
32	2011	Februari	5	129
33	2012	Januari	30	103
34	2013	April	19	144
35	2014	Desember	7	123.6
36	2015	Desember	18	136.1
37	2016	Oktober	10	139.3
38	2017	Desember	22	162.5
39	2018	Desember	23	141.6
40	2019	Januari	22	197
41	2020	Desember	22	144.2
42	2021	Desember	7	243.3
43	2022	Februari	21	166.3

Lampiran 2. Kejadian curah hujan ekstrem periode 1980 – 2022 di kota Makassar berdasarkan metode POT dengan *threshold* 100 mm/hari

No	Tahun	Bulan	Curah hujan	No	Tahun	Bulan	Curah hujan
1	1980	Januari	163	51	1998	Juli	106
2	1980	Desember	128	52	1999	Januari	158
3	1980	Desember	102	53	1999	Januari	161
4	1983	November	136	54	1999	Januari	184
5	1983	November	118	55	1999	Februari	222
6	1983	Desember	151	56	1999	Februari	107
7	1984	Januari	146	57	1999	Maret	114
8	1984	Februari	112	58	1999	April	114
9	1984	Februari	136	59	1999	Desember	156
10	1984	Maret	209	60	1999	Desember	120
11	1984	Maret	123	61	2000	Januari	109
12	1984	Desember	103	62	2000	Januari	131
13	1984	Desember	102	63	2000	Februari	175
14	1985	Maret	125	64	2000	Februari	197
15	1985	November	113	65	2001	Januari	270
16	1986	Januari	178	66	2001	Februari	235
17	1986	Januari	125	67	2001	Maret	120
18	1986	Maret	138	68	2001	Maret	169
19	1987	Desember	102	69	2001	Juni	148
20	1987	Desember	143	70	2001	Desember	168
21	1987	Desember	111	71	2002	Januari	105
22	1987	Desember	121	72	2002	Januari	148
23	1987	Desember	175	73	2002	Maret	114
24	1988	Januari	119	74	2002	Desember	147
25	1988	Februari	166	75	2003	Januari	102
26	1988	Februari	235	76	2003	Februari	110
27	1988	Februari	109	77	2003	Desember	116
28	1989	Januari	124	78	2003	Desember	128
29	1990	Mei	114	79	2004	Februari	109
30	1990	Desember	158	80	2004	Februari	112
31	1991	Januari	110	81	2004	Maret	139
32	1992	Januari	135	82	2004	Maret	102
33	1992	Maret	106	83	2005	Desember	208
34	1993	Januari	130	84	2006	Februari	107
35	1993	April	144	85	2006	Maret	139
36	1993	Desember	160	86	2006	Desember	125
37	1993	Desember	143	87	2007	Februari	108
38	1995	Januari	113	88	2007	Desember	129
39	1995	Februari	385	89	2008	Februari	157
40	1995	April	103	90	2009	Februari	128
41	1995	Mei	121	91	2009	Februari	103
42	1996	Januari	148	92	2010	Januari	103
43	1996	Februari	131	93	2010	September	106
44	1996	Desember	139	94	2011	Januari	113
45	1996	Desember	106	95	2011	Februari	129
46	1996	Desember	101	96	2011	Desember	104
47	1996	Desember	109	97	2011	Desember	114
48	1996	Desember	153	98	2011	Desember	116
49	1997	Januari	104	99	2011	Desember	101
50	1997	Februari	109	100	2012	Januari	103

Lanjutan

<b>No</b>	<b>Tahun</b>	<b>Bulan</b>	<b>Curah hujan</b>
101	2013	Januari	126
102	2013	Maret	105
103	2013	April	144
104	2013	April	107
105	2013	November	137.4
106	2013	Desember	109
107	2014	Februari	106
108	2014	Desember	123.6
109	2014	Desember	106.4
110	2014	Desember	107.7
111	2015	Januari	104.8
112	2015	Februari	121.7
113	2015	Desember	136.1
114	2015	Desember	102
115	2016	Januari	124.4
116	2016	Oktober	139.3
117	2016	Oktober	106
118	2017	Desember	159.5
119	2017	Desember	112.3
120	2017	Desember	162.5
121	2018	Januari	134.2
122	2018	Januari	120.1
123	2018	Desember	141.6
124	2018	Desember	117.4
125	2019	Januari	110.2
126	2019	Januari	197
127	2020	Februari	106.2
128	2020	Maret	116.1
129	2020	Desember	101.3
130	2020	Desember	144.2
131	2021	Januari	110
132	2021	Maret	208.7
133	2021	Maret	106.3
134	2021	April	115.8
135	2021	November	113.5
136	2021	November	104
137	2021	Desember	243.3
138	2022	Januari	134.5
139	2022	Februari	166.3
140	2022	Februari	158.4
141	2022	Maret	109.6
142	2022	Mei	128.4
143	2022	November	136.1
144	2022	Desember	121
145	2022	Desember	108.4
146	2022	Desember	138.4



## Lampiran 3. Tabel nilai kritis uji Kolmogorov-Smirnov

**Critical Values of One-Sample Kolmogorov-Smirnov Test Statistic D**

n	Alpha					n	Alpha				
	0.20	0.10	0.05	0.02	0.01		0.20	0.10	0.05	0.02	0.01
1	0.900	0.950	0.975	0.990	0.995	21	0.226	0.259	0.287	0.321	0.344
2	0.684	0.776	0.842	0.900	0.929	22	0.221	0.253	0.281	0.314	0.337
3	0.565	0.636	0.708	0.785	0.829	23	0.216	0.247	0.275	0.307	0.330
4	0.493	0.656	0.624	0.689	0.734	24	0.212	0.242	0.269	0.301	0.323
5	0.447	0.509	0.563	0.627	0.669	25	0.208	0.238	0.264	0.295	0.317
6	0.410	0.468	0.519	0.577	0.617	26	0.204	0.233	0.259	0.290	0.311
7	0.381	0.436	0.483	0.538	0.576	27	0.200	0.229	0.254	0.284	0.305
8	0.358	0.410	0.454	0.507	0.542	28	0.197	0.225	0.250	0.279	0.300
9	0.339	0.387	0.430	0.480	0.513	29	0.193	0.221	0.246	0.275	0.295
10	0.323	0.369	0.409	0.457	0.489	30	0.190	0.218	0.242	0.270	0.290
11	0.308	0.352	0.391	0.437	0.468	31	0.187	0.214	0.238	0.266	0.285
12	0.296	0.338	0.375	0.419	0.449	32	0.184	0.211	0.234	0.262	0.281
13	0.285	0.325	0.361	0.404	0.432	33	0.182	0.208	0.231	0.258	0.277
14	0.275	0.314	0.349	0.390	0.418	34	0.179	0.205	0.227	0.254	0.273
15	0.266	0.304	0.338	0.377	0.404	35	0.177	0.202	0.224	0.251	0.269
16	0.258	0.295	0.327	0.366	0.392	36	0.174	0.199	0.221	0.247	0.265
17	0.250	0.286	0.318	0.355	0.381	37	0.172	0.196	0.218	0.244	0.262
18	0.244	0.279	0.309	0.346	0.371	38	0.170	0.194	0.215	0.241	0.258
19	0.237	0.271	0.301	0.337	0.361	39	0.168	0.191	0.213	0.238	0.255
20	0.232	0.265	0.294	0.329	0.352	40	0.165	0.189	0.210	0.235	0.252
n > 40 approx.	$\frac{1.07}{\sqrt{n}}$	$\frac{1.22}{\sqrt{n}}$	$\frac{1.36}{\sqrt{n}}$	$\frac{1.52}{\sqrt{n}}$	$\frac{1.63}{\sqrt{n}}$						

## Lampiran 4. Uji Kolmogorov-Smirnov pada data ekstrem berdasarkan metode BM

ch	freq	fkum	CDF sampel	CDF GEV	selisih	selisih	$D_{hitung}$
87	1	1	0.023255814	0.013351717	0.009904	0.009904097	0.06811517
90	1	2	0.046511628	0.020742849	0.025769	0.025768778	
95	1	3	0.069767442	0.038757043	0.03101	0.031010399	
103	1	4	0.093023256	0.084191004	0.008832	0.008832252	
106	2	6	0.139534884	0.10645597	0.033079	0.033078913	
109	1	7	0.162790698	0.131280084	0.031511	0.031510614	
110	1	8	0.186046512	0.140072362	0.045974	0.045974149	
123.6	1	9	0.209302326	0.277417492	-0.06812	0.068115167	
124	1	10	0.23255814	0.281758832	-0.0492	0.049200693	
125	1	11	0.255813953	0.292639579	-0.03683	0.036825625	
128	2	13	0.302325581	0.325408659	-0.02308	0.023083078	
129	2	15	0.348837209	0.336335086	0.012502	0.012502123	
135	1	16	0.372093023	0.401205799	-0.02911	0.029112776	
136.1	1	17	0.395348837	0.412876476	-0.01753	0.017527639	
139	2	19	0.441860465	0.443167859	-0.00131	0.001307394	
139.3	1	20	0.465116279	0.446257634	0.018859	0.018858645	
141.6	1	21	0.488372093	0.46964238	0.01873	0.018729713	
144	1	22	0.511627907	0.493426937	0.018201	0.01820097	
144.2	1	23	0.534883721	0.495378767	0.039505	0.039504954	
148	1	24	0.558139535	0.531526011	0.026614	0.026613524	
151	1	25	0.581395349	0.558744834	0.022651	0.022650515	
153	1	26	0.604651163	0.576217585	0.028434	0.028433578	
157	1	27	0.627906977	0.609513035	0.018394	0.018393942	
158	1	28	0.651162791	0.617490907	0.033672	0.033671883	
160	1	29	0.674418605	0.633031906	0.041387	0.041386698	
162.5	1	30	0.697674419	0.65168529	0.045989	0.045989129	
163	1	31	0.720930233	0.65531377	0.065616	0.065616463	
166.3	1	32	0.744186047	0.678419778	0.065766	0.065766268	
175	1	33	0.76744186	0.732607539	0.034834	0.034834322	
178	1	34	0.790697674	0.749166966	0.041531	0.041530708	
197	2	36	0.837209302	0.832551813	0.004657	0.004657489	
208	1	37	0.860465116	0.867067797	-0.0066	0.006602681	
209	1	38	0.88372093	0.869805542	0.013915	0.013915388	
222	1	39	0.906976744	0.900354889	0.006622	0.006621855	
235	1	40	0.930232558	0.923247295	0.006985	0.006985263	
243.3	1	41	0.953488372	0.934795796	0.018693	0.018692576	
270	1	42	0.976744186	0.960648328	0.016096	0.016095858	
385	1	43	1	0.993900808	0.006099	0.006099192	

Keterangan:

Selisih = CDF sampel – CDF GEV

$D_{hitung}$  = maks|selisih|

Lampiran 5. Uji Kolmogorov-Smirnov pada data ekstrem berdasarkan metode POT

ch	freq	fkum	CDF sampel	CDF GP	selisih	selisih	<i>D</i> <sub>hitung</sub>
101	1	1	0.00685	0.03216	-0.02531	0.0253147	0.0429126
101	1	2	0.0137	0.03216	-0.01847	0.01846538	
101.3	1	3	0.02055	0.04159	-0.02104	0.02104187	
102	1	4	0.0274	0.06319	-0.0358	0.03579549	
102	1	5	0.03425	0.06319	-0.02895	0.02894617	
102	1	6	0.0411	0.06319	-0.0221	0.02209686	
102	1	7	0.04795	0.06319	-0.01525	0.01524754	
102	1	8	0.05479	0.06319	-0.0084	0.00839823	
102	1	9	0.06164	0.06319	-0.00155	0.00154891	
103	1	10	0.06849	0.09313	-0.02464	0.02463665	
103	1	11	0.07534	0.09313	-0.01779	0.01778734	
103	1	12	0.08219	0.09313	-0.01094	0.01093802	
103	1	13	0.08904	0.09313	-0.00409	0.00408871	
103	1	14	0.09589	0.09313	0.002761	0.00276061	
104	1	15	0.10274	0.12202	-0.01928	0.01927725	
104	1	16	0.10959	0.12202	-0.01243	0.01242794	
104	1	17	0.11644	0.12202	-0.00558	0.00557862	
104.8	1	18	0.12329	0.1444	-0.02111	0.02111012	
105	1	19	0.13014	0.14989	-0.01976	0.01975735	
105	1	20	0.13699	0.14989	-0.01291	0.01290804	
106	1	21	0.14384	0.1768	-0.03296	0.03296469	
106	1	22	0.15068	0.1768	-0.02612	0.02611537	
106	1	23	0.15753	0.1768	-0.01927	0.01926606	
106	1	24	0.16438	0.1768	-0.01242	0.01241674	
106	1	25	0.17123	0.1768	-0.00557	0.00556743	
106	1	26	0.17808	0.1768	0.001282	0.00128189	
106.2	1	27	0.18493	0.18207	0.002863	0.00286331	
106.3	1	28	0.19178	0.18469	0.007093	0.00709261	
106.4	1	29	0.19863	0.1873	0.011331	0.01133114	
107	1	30	0.20548	0.20277	0.002708	0.00270775	
107	1	31	0.21233	0.20277	0.009557	0.00955707	
107	1	32	0.21918	0.20277	0.016406	0.01640638	
107.7	1	33	0.22603	0.22041	0.005613	0.00561281	
108	1	34	0.23288	0.22784	0.005033	0.00503285	
⋮	⋮	⋮	⋮	⋮	⋮	⋮	
243.3	1	144	0.9863	0.97853	0.007767	0.00776749	
270	1	145	0.99315	0.98793	0.005216	0.00521571	
385	1	146	1	0.99861	0.001395	0.00139456	



## Lampiran 7. Kode program untuk estimasi parameter

Parameter distribusi GEV:

```

> library(extRemes)
> bm_gev <- fevd(ekstrem_bmrainfall, ekstrem_bm,
+               type="GEV",
+               method = "MLE",
+               optim.args = list(method="BFGS"))
> print(bm_gev)

fevd(x = ekstrem_bmrainfall, data = ekstrem_bm, type = "GEV",
      method = "MLE", optim.args = list(method = "BFGS"))

[1] "Estimation Method used: MLE"

Negative Log-Likelihood Value: 222.8667

Estimated parameters:
  location      scale      shape
131.8988507  33.9691418  0.1406644

Standard Error Estimates:
  location      scale      shape
5.8464151  4.4842428  0.1177287

Estimated parameter covariance matrix.
      location      scale      shape
location 34.1805692 13.47790075 -0.21700313
scale   13.4779007 20.10843389 -0.06308899
shape   -0.2170031 -0.06308899  0.01386005

AIC = 451.7334

BIC = 457.017

> ci(bm_gev, type="parameter")
fevd(x = ekstrem_bmrainfall, data = ekstrem_bm, type = "GEV",
      method = "MLE", optim.args = list(method = "BFGS"))

[1] "Normal Approx."

      95% lower CI  Estimate 95% upper CI
location 120.4400877 131.8988507 143.3576137
scale    25.1801873  33.9691418  42.7580963
shape    -0.0900796  0.1406644   0.3714084

> bm_gev$results$hessian
      location      scale      shape
location 0.04364430 -0.02750194  0.5581425
scale    -0.02750194  0.06778090 -0.1220616
shape     0.55814252 -0.12206155 80.3329202

```

## Parameter distribusi GP:

```

> pot_gpd <- fevd(ch_mks_clean$rainfall, ch_mks_clean,
+               threshold = 100,
+               type="GP",
+               method = "MLE",
+               optim.args = list(method="BFGS"))
> print(pot_gpd)

fevd(x = ch_mks_clean$rainfall, data = ch_mks_clean, threshold =
100,
      type = "GP", method = "MLE", optim.args = list(method = "BFGS"))

[1] "Estimation Method used: MLE"

Negative Log-Likelihood Value: 659.7292

Estimated parameters:
      scale      shape
30.5374678  0.1009668

Standard Error Estimates:
      scale      shape
3.67888639  0.08783821

Estimated parameter covariance matrix.
      scale      shape
scale 13.5342051 -0.21235869
shape -0.2123587  0.00771555

AIC = 1323.458

BIC = 1329.426

> ci(pot_gpd, type="parameter")
fevd(x = ch_mks_clean$rainfall, data = ch_mks_clean, threshold =
100,
      type = "GP", method = "MLE", optim.args = list(method = "BFGS"))

[1] "Normal Approx."

      95% lower CI  Estimate  95% upper CI
scale 23.32698292 30.5374678  37.7479526
shape -0.07119293 0.1009668   0.2731265

> pot_gpd$results$hessian
      scale      shape
scale 0.1300499  3.579405
shape 3.5794046 228.121807

```